Wednesday 13 September, 2017 10:30-11:30, Class#07

- 0) Project Choice with rough outline **due Friday Sept 22**
- 1) Review from last class & clarification
- 2) Do board example of radiation balance, OLR slides
- 3) Today's topics
- global heat transport
- role of ocean and atmosphere

Review

- Describe the key properties of electromagnetic spectrum of the Shortwave (solar) and Longwave (terrestrial) radiation that are relevant for climate?
- What is a radiative equilibrium model of the earth's climate?
- Overall what is the impact of clouds on the earth's climate? Why?

Blackbody

- Electrical burner that is on is an example of black body radiation. But when it is at room temperature, still emits light (just IR). (photo)
- If a chunk of matter has oscillators that vibrate and interact with light at all possible frequencies, it is a blackbody. The light emitted by a blackbody is called blackbody radiation.
- Solids and liquids at earths surface are good blackbodies but gases are not (interact with only a few frequencies), Like a piano with missing strings.
- "A blackbody is like a musical instrument with all the notes." [David Archer, "Global Warming: Understanding the Forecast" Chapter 2]

Blackbody

- Boltzman's equation tells us how energy is radiated from an object and gives us the emission temperature.
- A hot object emits more light than a cold object. (see IR picture)



Spectrum of outgoing Longwave (InfraRed) Radiation

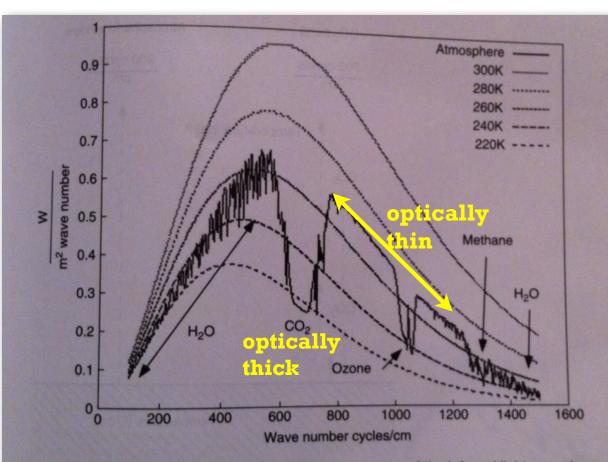


Figure 4-3 The solid line is a model-generated spectrum of the infrared light escaping to space at the top of the atmosphere. For comparison, the *broken lines* are blackbody spectra at different temperatures. If the Earth had no atmosphere, the outgoing spectrum would look like a blackbody spectrum for 270 K, between the 260 K and 280 K spectra shown. The atmospheric window is between about 900–1,000 cm⁻¹, where no gases absorb or emit infrared light. CO₂, water vapor, ozone, and methane absorb infrared light emitted from the ground and emit lower-intensity infrared from high altitudes, where the air is colder than at the surface.

[Archer 2011, based on model]

•Theoretical Blackbody spectra for various temperatures from 220-300K.

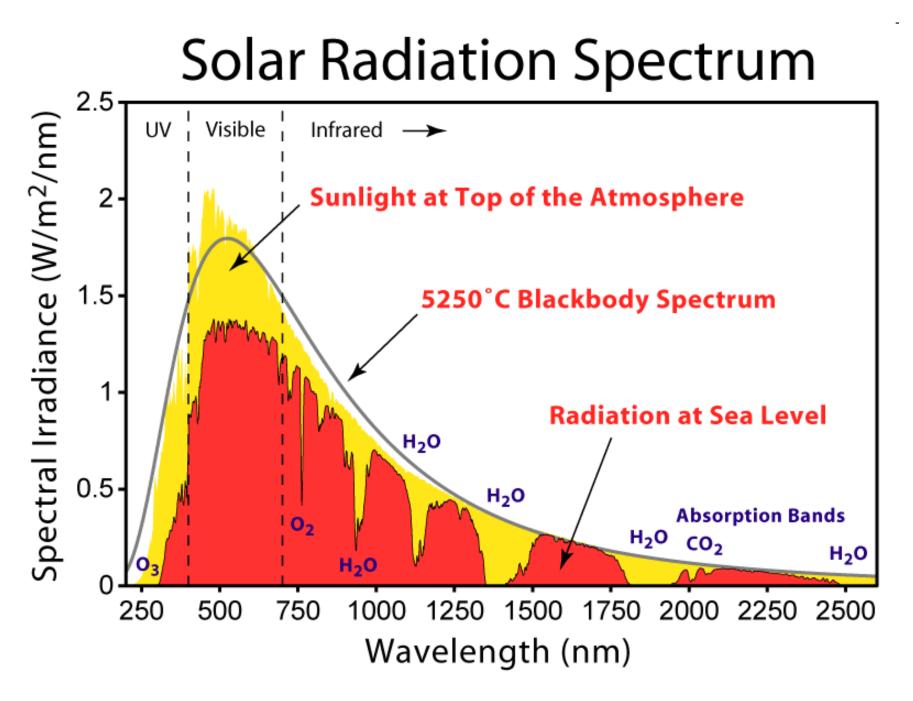
Jagged line is IR spectrum at TOA.

 Few gases that absorb along yellow arrow of spectrum. (Atmospheric window).
 Follows warmer curve.

• Around 700 cycles/cm, the spectra follows cooler curve, due to bending vibration of CO₂ (absorbs at this frequency and emits at lower intensity).

- Figure constructed so area under curve proportional to total energy flux.
- CO₂ versus CH₄ absorption?

location & jaggedness...



This figure was prepared by **Robert A. Rohde**

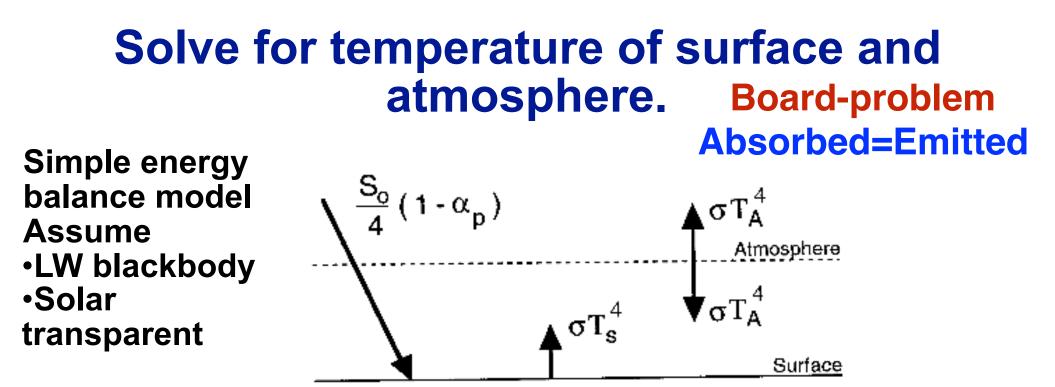
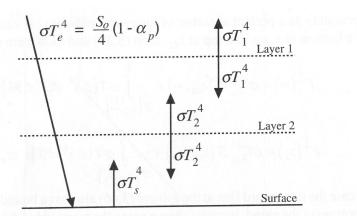


Fig. 2.3 Diagram of the energy fluxes for a planet with an atmosphere that is transparent for solar radiation but opaque to terrestrial radiation. Hartmann, 1994

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$$\frac{S_0}{4}(1-\alpha_p) = \sigma T_A^4 = \sigma T_e^4 \quad \text{Energy Balance TOA} \\ T_e = T_a = 255 \text{K} \\ \sigma T_S^4 = 2\sigma T_A^4 \quad \text{Energy Balance of Atmosphere} \\ \frac{S_0}{4}(1-\alpha_p) + \sigma T_A^4 = \sigma T_S^4 \quad \text{Energy Balance of Surface} \\ T_S = \text{is } \sim 20\% \text{ warmer} = 303.2 \text{K} \\ \end{array}$$

Develop Radiative Model for 2 layers, answers in red



At TOA:

$$\frac{S_0}{4}(1-\alpha_p) = \sigma T_e^4 = \sigma T_1^4$$
$$T_e = T_1 = 255 \text{K}$$

Fig. 3.10 Diagram of simple two-layer radiative equilibrium model for the atmosphere–Earth system, showing the fluxes of radiant energy.

Key to developing equations: Absorbed = Emitted

Energy Balance in Layer 1:

$$\sigma T_2^4 = 2\sigma T_1^4$$
 T₂=303.3K

Energy Balance in Layer 2:

$$\sigma T_1^4 + \sigma T_s^4 = 2\sigma T_2^4$$

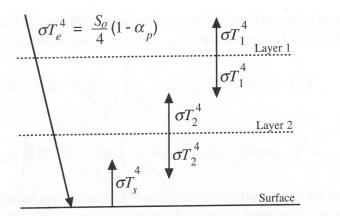
$$T_s = 335 \text{K}$$

Energy Balance at Surface:

$$\frac{S_0}{\Lambda}(1-\alpha_p) + \sigma T_2^4 = \sigma T_s^4$$

Solar augmented by atmospheric radiation

Simple Radiative Equilibrium Model Analysis on board



Solve for surface temperature, work out the math yourselves

$$T_s^4 = 3 \left(\frac{\frac{S_0}{4} (1 - \alpha_p)}{\sigma} \right) = 3T_e^4$$

Fig. 3.10 Diagram of simple two-layer radiative equilibrium model for the atmosphere–Earth system, showing the fluxes of radiant energy.

A model of n layers has this relationship:

$$T_{s} = \sqrt[4]{n+1} T_{e}$$
 n=0, T_e=255K then T_s=255K
n=1, T_e=255K then T_s=303K
n=2, T_e=255K then T_s=335K

- Surface too hot... Radiative equilibrium not great approximation for surface temperature since heat removed by sensible and latent fluxes are ignored here.
- The more layers you add the hotter the surface gets. This heat has to be taken away from the surface by processes other than radiation!

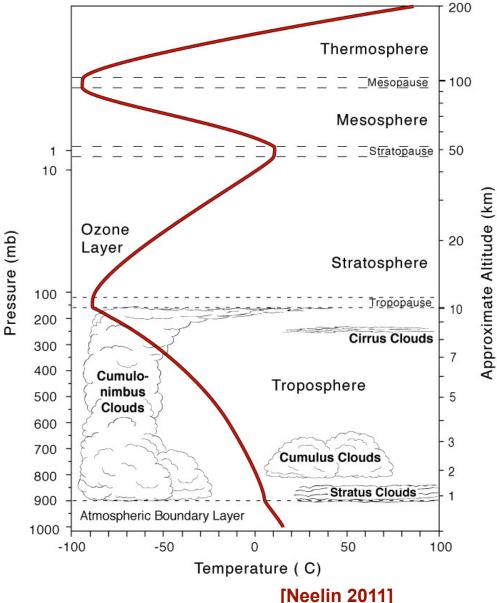
Lapse Rate

• Lapse Rate is the rate of temperature decrease with height.

$$\Gamma = -\frac{\partial T}{\partial z}$$

• Temperature decreases with height on global average 6.5 K/km.

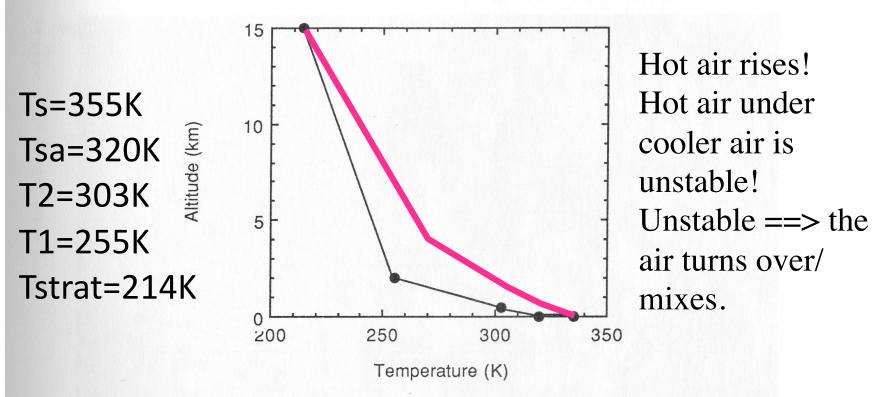
• Temperature inversion is when the temperature increases with height.

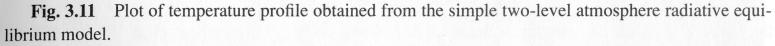


Shortcomings of the Radiative Equilibrium Model

Pg 62-63 Hartmann

Add a thin upper layer to model at stratosphere and a thin layer next to surface. Solve our model for T at each level getting:





R-E model gives large temperature difference between surface and the thin layer of atmosphere above it. Need to add heat transport due to conductive and convective heat transport.