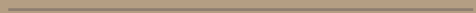
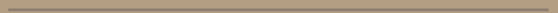
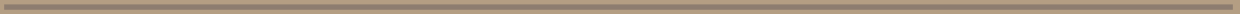


Physics 212 lecture 4 F01



Lecture 4

- HW due Friday
- HW session tonight @ 5:30
- Quiz 1 Friday
- Labs
- next week

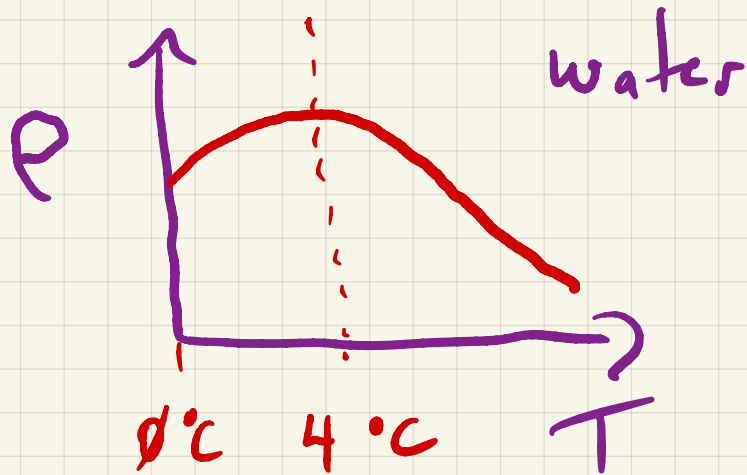
Today: review temp., thermal expansion
(water), Ideal gases, gas process,
gas law

Finish chapter 18, start 19

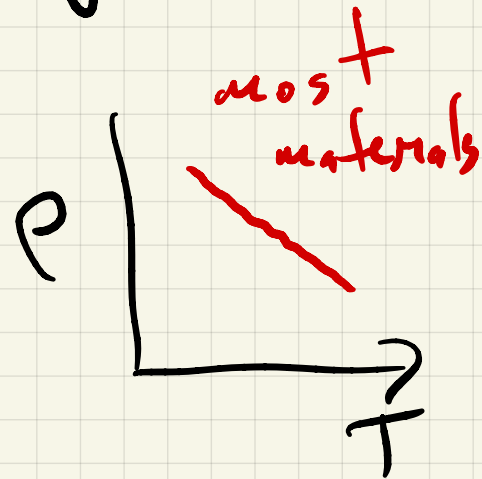
Temperature in SI units of Kelvin
absolute temperature scale

F → C → K

Thermometers ⇒ many use thermal expansion. $\frac{\Delta L}{L} = \alpha \Delta T$ or $\frac{\Delta V}{V} = \beta \Delta T$



$$\rho = \frac{M}{V}$$



water freezes from the top ⇒ liquid water ($\sim 4^\circ\text{C}$) sits on bottom

Ideal gases \Rightarrow "low" density & not near a phase transition

Equations of state \Rightarrow relate the state variables to each other

(P, V, T, N, M, n, \dots) can be complicated

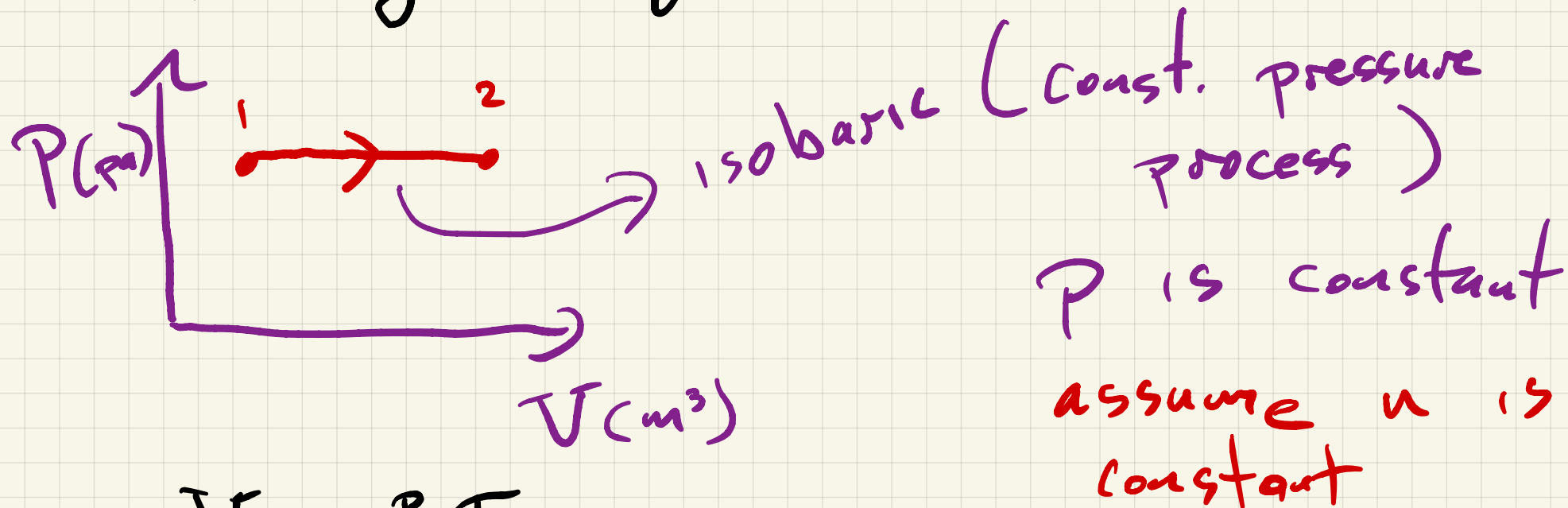
For Ideal gases the equation of state is the Ideal Gas Law

$$P V = n R T$$

\hookrightarrow pressure in Pa \hookrightarrow Volume in m^3 \hookrightarrow # of moles \hookrightarrow gas constant $8,31 \text{ J/mole K}$ \hookrightarrow Temperature in Kelvin \downarrow

Ideal gas process's \Rightarrow quasi-steady state

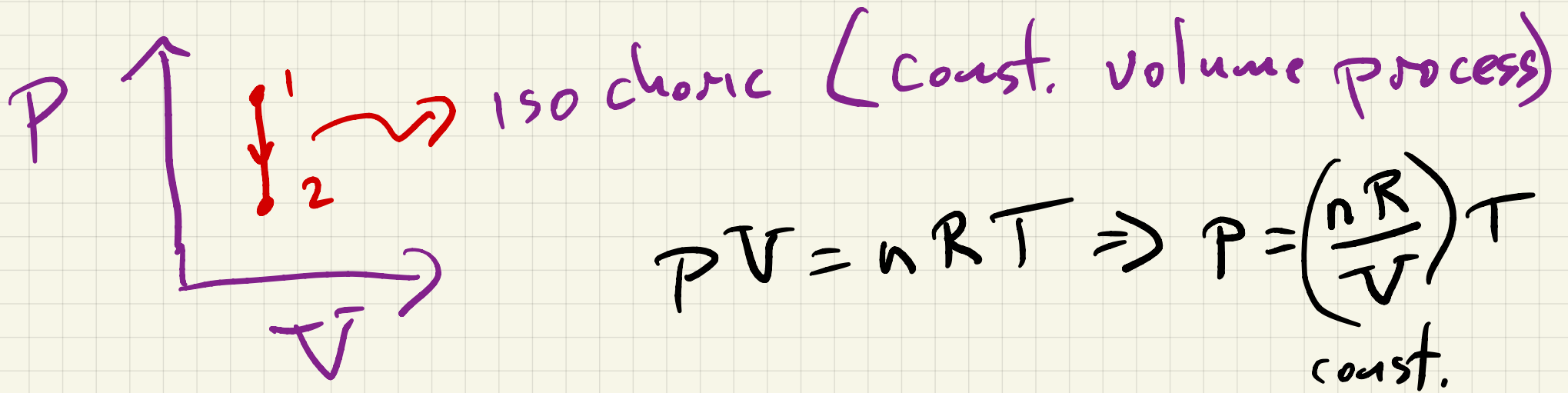
\Rightarrow stays in equilibrium



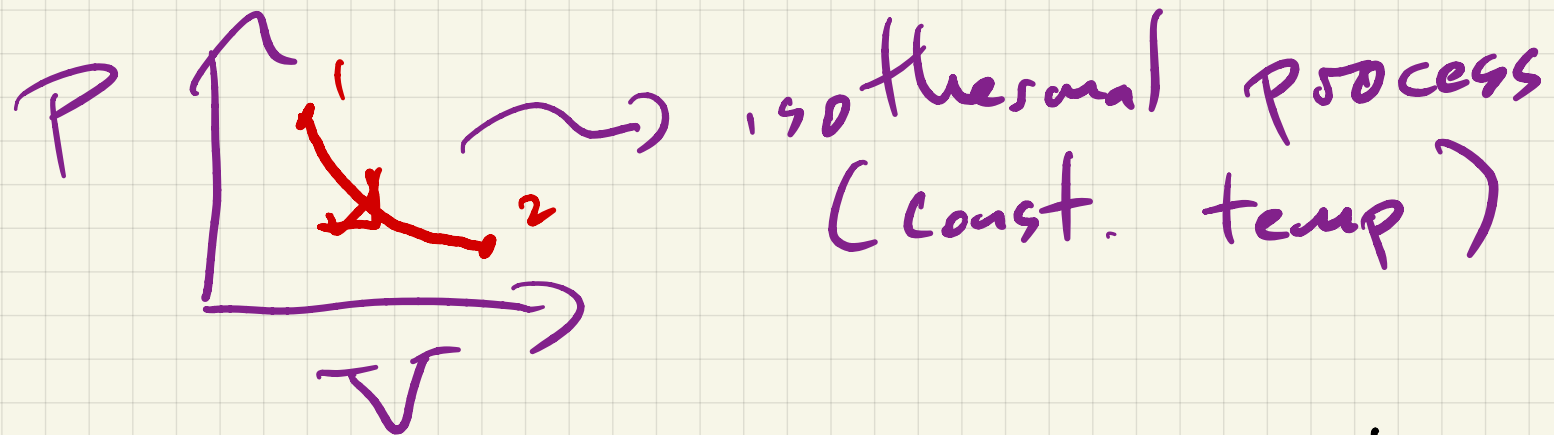
$$pV = nRT$$

$$V = \underbrace{\left(\frac{nR}{P}\right)}_{\text{const}} T$$

\Rightarrow if $V \uparrow$ then $T \uparrow$
for isobaric process



If $P \uparrow$ then $T \uparrow$ in an isochoric process



$$P\tilde{V} = nRT \Rightarrow P = \underbrace{(nRT)}_{\text{const.}} \frac{1}{\tilde{V}}$$

If $P \uparrow$ then $\tilde{V} \downarrow$ for isothermal process

A weather balloon @ 1 Atm & 27°C has a volume of 6 m³. It rises to 8000 m @ 0.5 Atm & -73°C.

Find V_f .

$$PV = (nR)T \quad \Rightarrow \quad \frac{PV}{T} = nR$$

const const

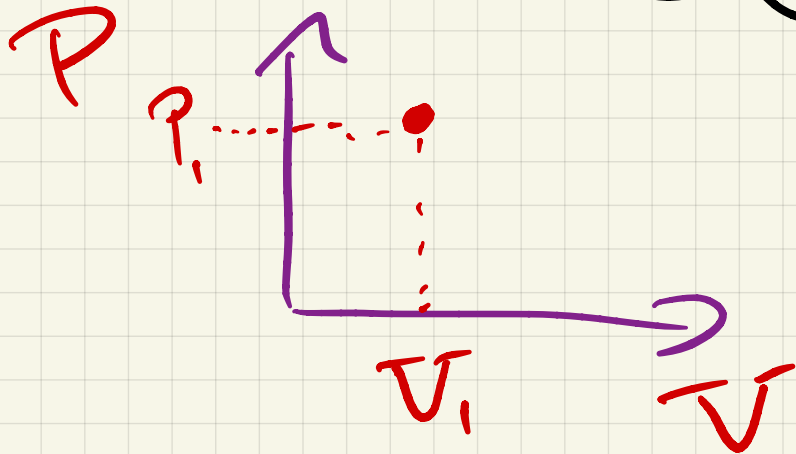
$$\frac{P_i V_i}{T_i} = \frac{P_f V_f}{T_f} \quad \text{Find } V_f = \frac{P_i}{P_f} \frac{T_f}{T_i} V_i$$

$$T_i = 27^\circ\text{C} \quad T_k = T_c + 273$$

$$T_i = 300\text{ K} \quad T_f = -73^\circ\text{C} \quad T_f = 200\text{ K}$$

$$V_f = \frac{P_i}{P_f} \frac{T_f}{T_i} V_i = \frac{1\text{ Atm}}{0.5\text{ Atm}} \times \frac{200\text{ K}}{300\text{ K}} \times 6\text{ m}^3$$

$$V_f = 2 \times \frac{2}{3} \times 6 = 8\text{ m}^3$$



& we know n

$$pV = nRT \text{ solve for}$$

$$T \Rightarrow T = \frac{pV}{nR}$$